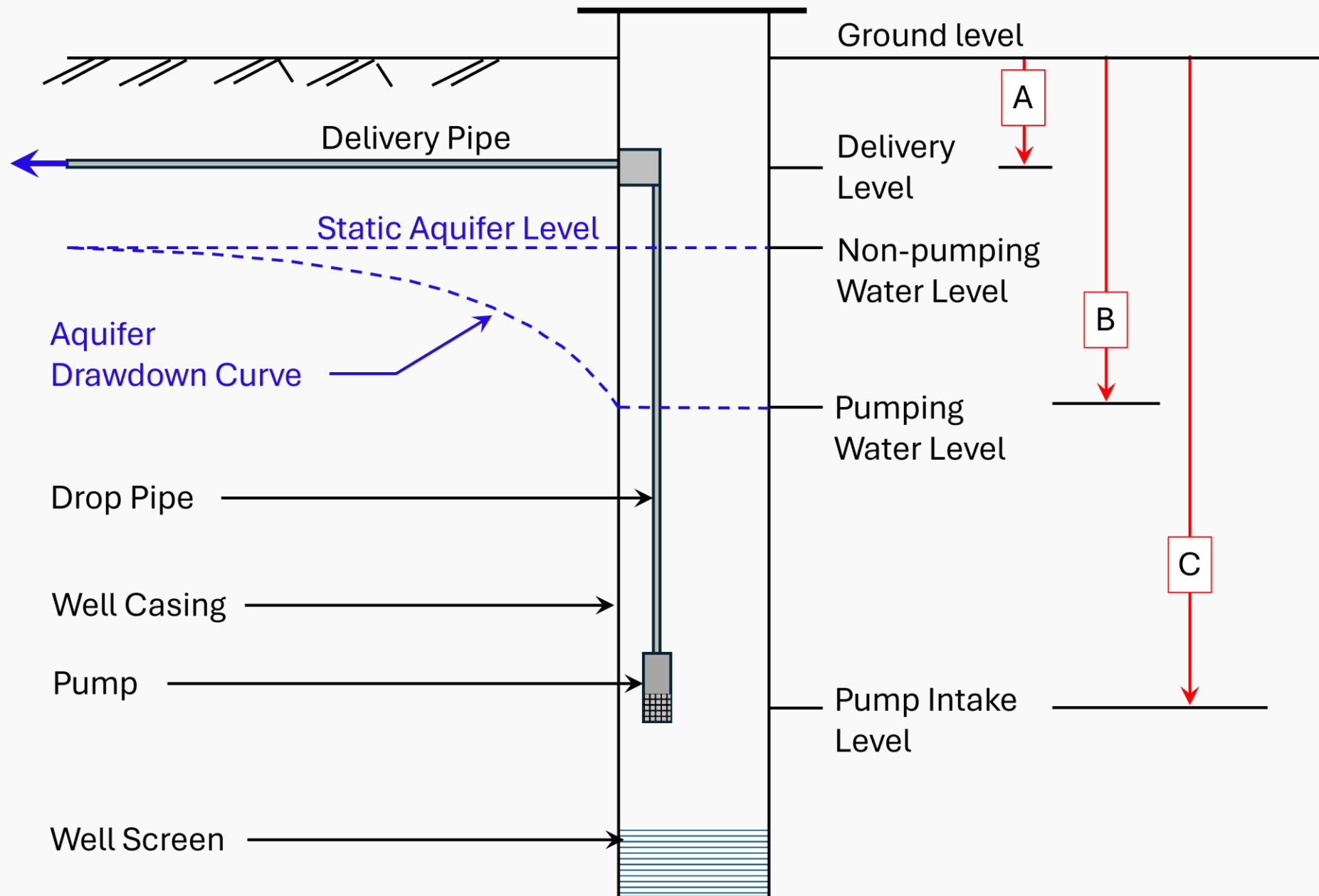


# How to Size a Groundwater Pump



$$\text{Total Dynamic Head} = H_d - H_s + H_f + V_h$$

# Equations & Variables

$$\text{Total Dynamic Head} = H_d - H_s + H_f + V_h$$

| Symbol | Units             | Description  | Details  |
|--------|-------------------|--|--|
| $TDH$  | L                 | Total dynamic head   | $TDH = H_d - H_s + H_f + V_h$                                      |
| $H_d$  | L                 | Static discharge head  | $H_d = A - C + D_p$  |
| $H_s$  | L                 | Submergence Head   | $H_s = C - B$  |
| $H_f$  | L                 | Head loss in Drop Pipe + head loss in Delivery Pipe (Darcy -Weisbach Equation) | $H_f = f \left( \frac{L}{d} \right) \left( \frac{v^2}{2g} \right)$ |
| $V_h$  | L                 | Velocity head of water migrating through the aquifer to well                   | Negligible for aquifers  |
| $A$    | L                 | Depth to the Delivery Pipe   | See drawing  |
| $B$    | L                 | Depth to the Pumping Water Level   | See drawing  |
| $C$    | L                 | Depth to the Pump Intake Level   | See drawing  |
| $L$    | L                 | Length of pipe work  | Drop pipe & Delivery pipe  |
| $d$    | L                 | Inner diameter of pipe work  | Drop pipe & Delivery pipe  |
| $v$    | L/T               | Delivery velocity of the supply water  | Calculated from Q  |
| $g$    | L/T <sup>2</sup>  | Acceleration due to gravity  | Universal constant   |
| $f$    | -                 | Friction Factor  | Empirical value - see table  |
| $Q$    | L <sup>3</sup> /T | Delivery flow rate   | Design criteria  |
| $D_p$  | L                 | Delivery pressure expressed in terms of head                                   | Design criteria  |

## When to use this

Use this to estimate the **total dynamic head (TDH)** your pump must deliver at your **design flow**, then choose a pump that meets that duty point on the manufacturer's pump curve./

## Know your system

1. Water levels and elevations (water level, discharge elevation)
2. Pipe run details (pipe size, length, fittings and valves)

## Know your design targets

1. Required **flow** at the discharge point
2. Required **pressure** at the discharge point (if any)

## Quick units check

Keep everything in one head unit (ft or m of water). Pump specs often mix units, so convert before you add terms.

- Convert pressure (psi or kPa) to head (ft or m).
- Convert flow (gpm or L/s) to velocity using your pipe diameter. Velocity is what drives friction losses.

# Procedure for Submersible Pumps:

## 1. Calculate Static Discharge Head

This is the total height to lift + Delivery pressure needs

$$H_d = A - C + D_p$$

## 2. Calculate Submergence Head

This is the “free” head or discount on the total height to lift

$$H_s = C - B$$

## 3. Calculate Friction Head in pipework:

$$H_f = f \left( \frac{L}{d} \right) \left( \frac{v^2}{2g} \right)$$

- Calculate  $H_f$  for the drop pipe and the delivery pipe, then add them.
- Use  $f=0.02$  for most smooth-pipe water systems. Refine  $f$  with a Moody chart or pipe friction loss calculator if needed.
- Optional: add losses from fittings and valves (usually minor)

## 4. Calculate the TDH:

$$TDH = H_d - H_s + H_f + V_h$$

Note:  $V_h$  is ignored for groundwater wells

# Worked example – Given Mixed Units

- Target flow: 24 US gpm (converts to  $v = 1.9$  m/s in 1.25” pipe)
- Required pressure at delivery: 50 psi (converts to 35.2m of H<sub>2</sub>O)
- Delivery point [A]: 2.5 m below ground
- Pumping water level [B]: 79 m below ground
- Pump intake level [C]: 95 m below ground
- Drop pipe: 1.25 in PVC, length  $\approx 95 - 2.5 = 92.5$  m
- Delivery pipe: length = 50 m
- Ignore minor losses for first-pass TDH (pitless adapter, elbows, valves)

## 1) Static Discharge Head

$$H_d = 95\text{m} - 2.5\text{m} + 35.2\text{m} = 128\text{m}$$

## 2) Submergence Head

$$H_s = 95\text{m} - 79\text{m} = 16\text{m}$$

## 3) Friction Head

$$\text{Drop Pipe: } H_f = 0.02 (92.5\text{m} / 0.032\text{m}) (1.9\text{m/s}^2 / 2(9.81\text{m/s}^2)) \approx 11\text{m}$$

$$\text{Delivery Pipe: } H_f = 0.02 (50\text{m} / 0.032\text{m}) (1.9\text{m/s}^2 / 2(9.81\text{m/s}^2)) \approx 6\text{m}$$

$$\text{Total } H_f = 17\text{m}$$

## 4) Total Dynamic Head

$$\text{TDH} \approx 128\text{m} - 16\text{m} + 17\text{m} = 129\text{m}$$